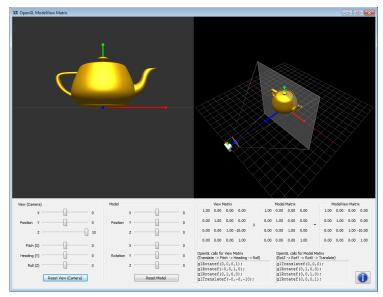
The Camera - CSE160

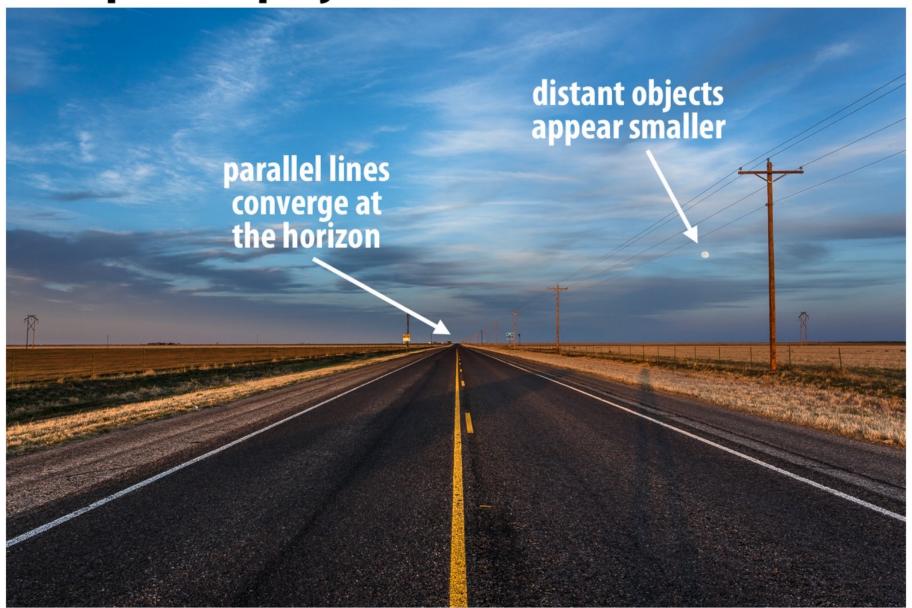
- History of Projection
- View Transform
- Projection Transform
- Clipping and Screen Transform
- Graphics vs Real Cameras
- Administrative
- Q&A





History of projection

Perspective projection



Early painting: incorrect perspective



Carolingian painting from the 8-9th century

Perspective in art



Giotto 1290

History of projection

• Later Renaissance: perspective formalized precisely

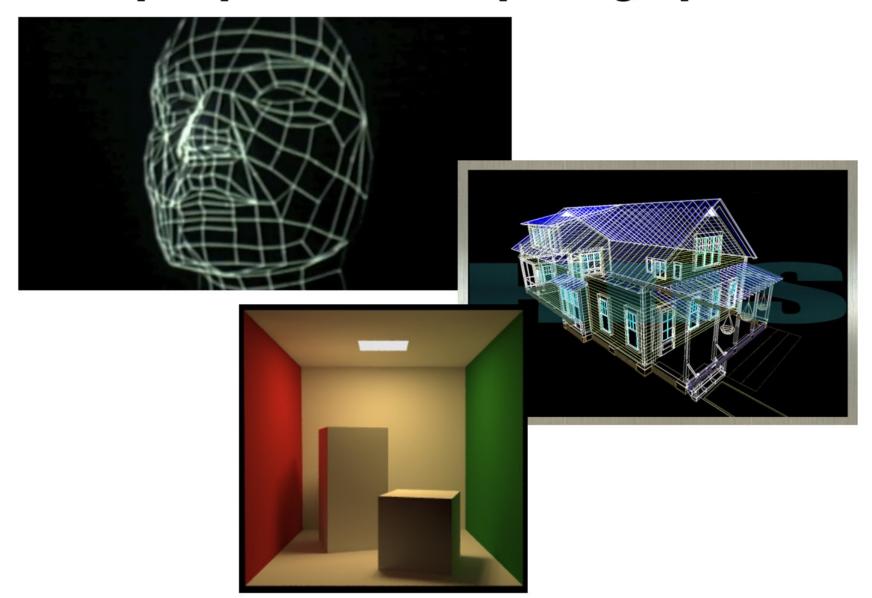


da Vinci c. 1498

Later... rejection of proper perspective projection



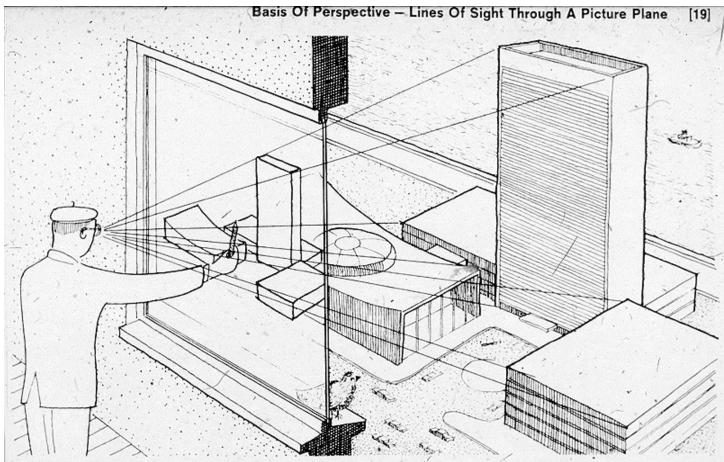
Correct perspective in computer graphics



Rejection of perspective in computer graphics



Computer graphics works like this

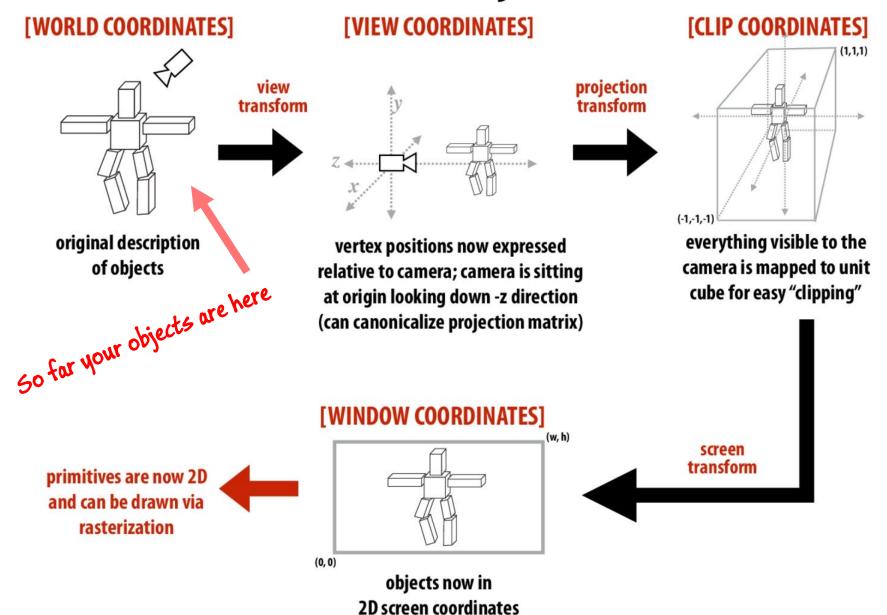


The concept of the picture plane may be better understood by looking through a window or other transparent plane from a fixed viewpoint. Your lines of sight, the multitude of straight lines leading from your eye to the subject, will all intersect this plane. Therefore, if you were to reach out with a grease pencil and draw the image of the subject on this plane you would be "tracing out" the infinite number of points of intersection of sight rays and plane. The result would be that you would have "transferred" a real three-dimensional object to a two-dimensional plane.

[CS 417 Spring 2002]

View Transform

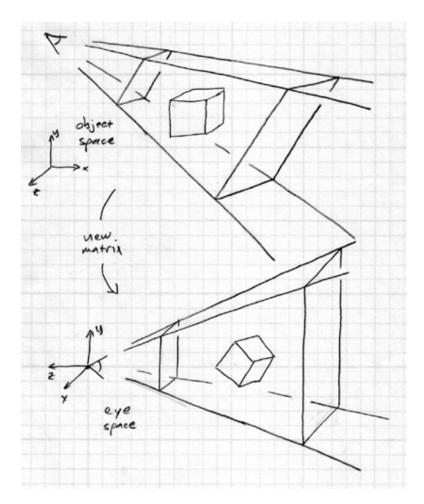
Transformations: from objects to the screen





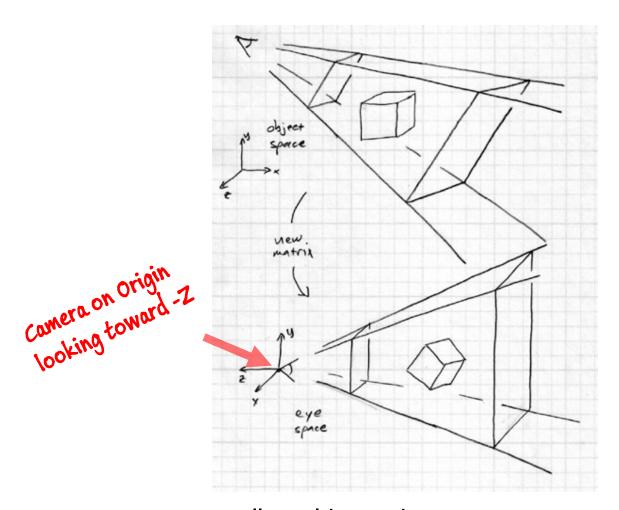
Jovan Popovic at MIT

Viewing transformation

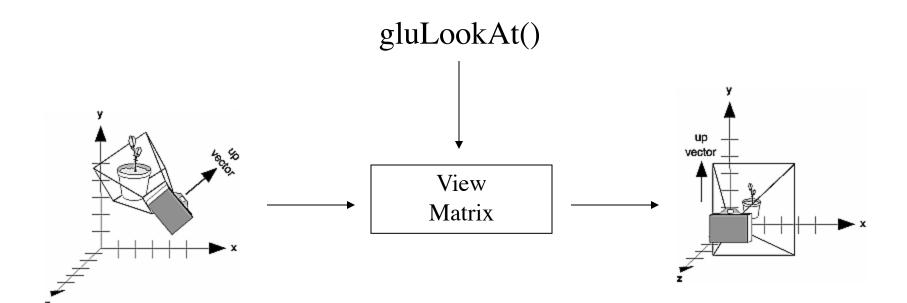


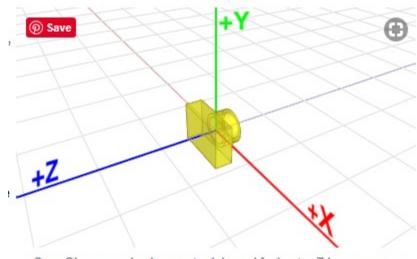
the view matrix rewrites all world coordinates in view coordinates (eye space)

Viewing transformation

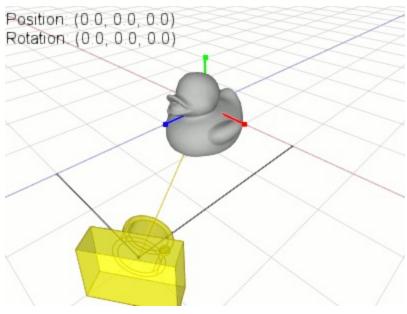


the view matrix rewrites all world coordinates in view coordinates (eye space)





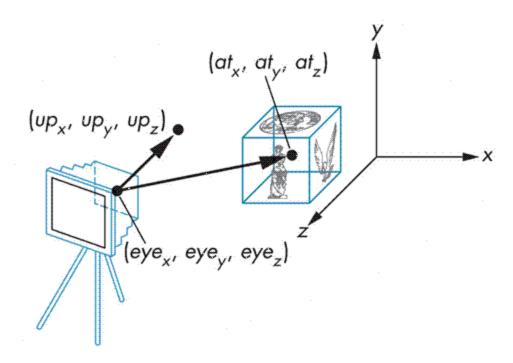
OpenGL camera is always at origin and facing to -Z in eye space



(this is animated GIF)

void gluLookAt(
GLdouble eyeX, GLdouble eyeY, GLdouble eyeZ,
GLdouble centerX, GLdouble centerY, GLdouble centerZ,
GLdouble upX, GLdouble upY, GLdouble upZ);

```
glMatrixMode(GL_MODELVIEW);
glLoadIdentity();
gluLookAt(
0.0, 0.0, 5.0,
0.0, 0.0, 0.0,
0.0, 1.0, 0.0);
glMatrixMode(GL_PROJECTION);
glLoadIdentity();
gluPerspective(50.0, 1.0, 3.0, 7.0);
```

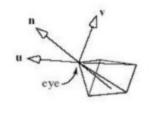


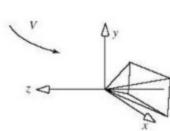
What does gluLookAt() do?

 gluLookAt(eyex, eyey, eyez, atx, aty, atz, upx, upy, upz) is equivalent to

glMultMatrixf(M); // post-multiply M with current model-view matrix glTranslated(-eyex, -eyey, -eyez);

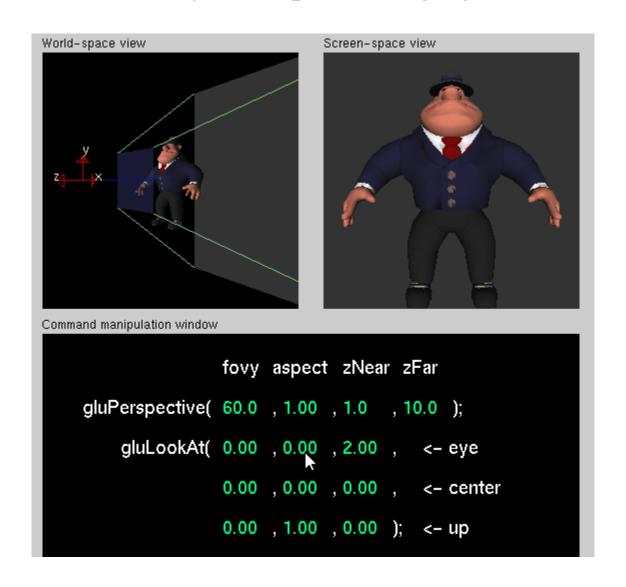
Where M =
$$\begin{bmatrix} u_x & u_y & u_z & 0 \\ v_x & v_y & v_z & 0 \\ n_x & n_y & n_z & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$$



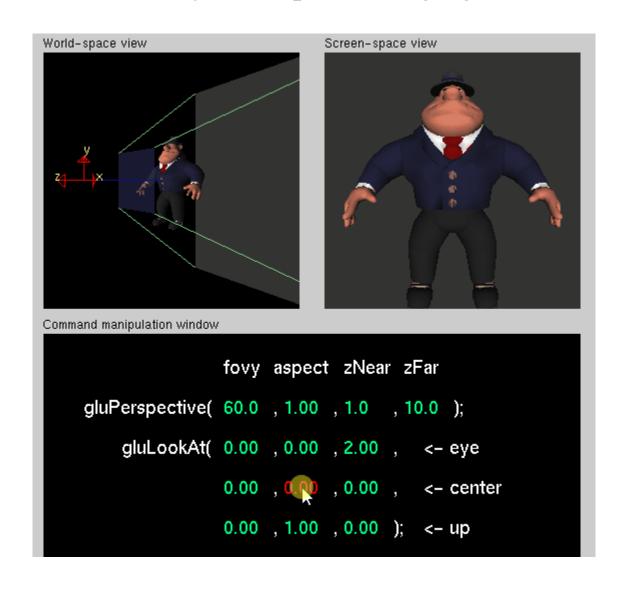


u, n, v are unit vectors.

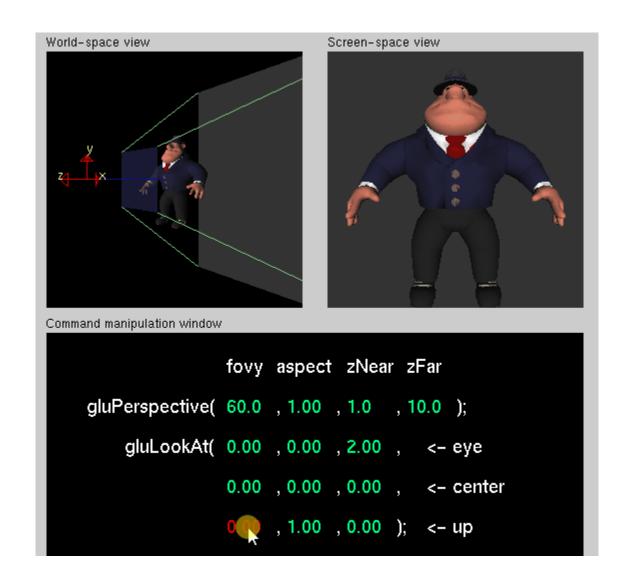
LookAt(eye, at, up) – Changing EYE



LookAt(eye, at, up) – Changing AT



LookAt(eye, at, up) – Changing UP



The above examples were animated GIF, so here are viewing slides in PDF

"Look At" Examples



gluLookAt(0,0,14, // eye (x,y,z) 0,0,0, // at (x,y,z) 0,1,0); // up (x,y,z)

Same as the glTranslatef(0,0,-14) as expected

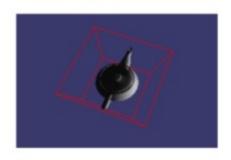


gluLookAt(1,2.5,11, // eye (x,y,z) 0,0,0, // at (x,y,z) 0,1,0); // up (x,y,z)

Similar to original, but just a little off angle due to slightly perturbed eye vector

CS 354 31

"Look At" Major Eye Changes



```
gluLookAt(-2.5,11,1, // eye (x,y,z)
0,0,0, // at (x,y,z)
0,1,0); // up (x,y,z)
```

Eye is "above" the scene



```
gluLookAt(-2.5,-11,1, // eye (x,y,z)
0,0,0, // at (x,y,z)
0,1,0); // up (x,y,z)
```

Eye is "below" the scene

"Look At" Changes to AT and UP



```
gluLookAt(0,0,14, // eye (x,y,z)
2,-3,0, // at (x,y,z)
0,1,0); // up (x,y,z)
```

Original eye position, but "at" position shifted

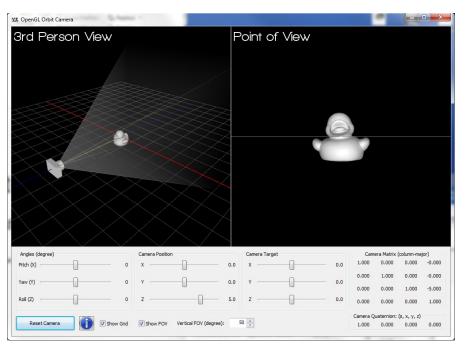


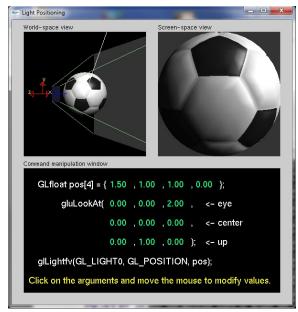
```
gluLookAt(0,0,14, // eye (x,y,z)
0,0,0, // at (x,y,z)
1,1,0); // up (x,y,z)
```

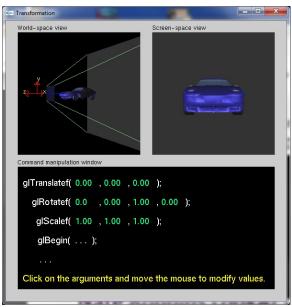
Eye is "below" the scene

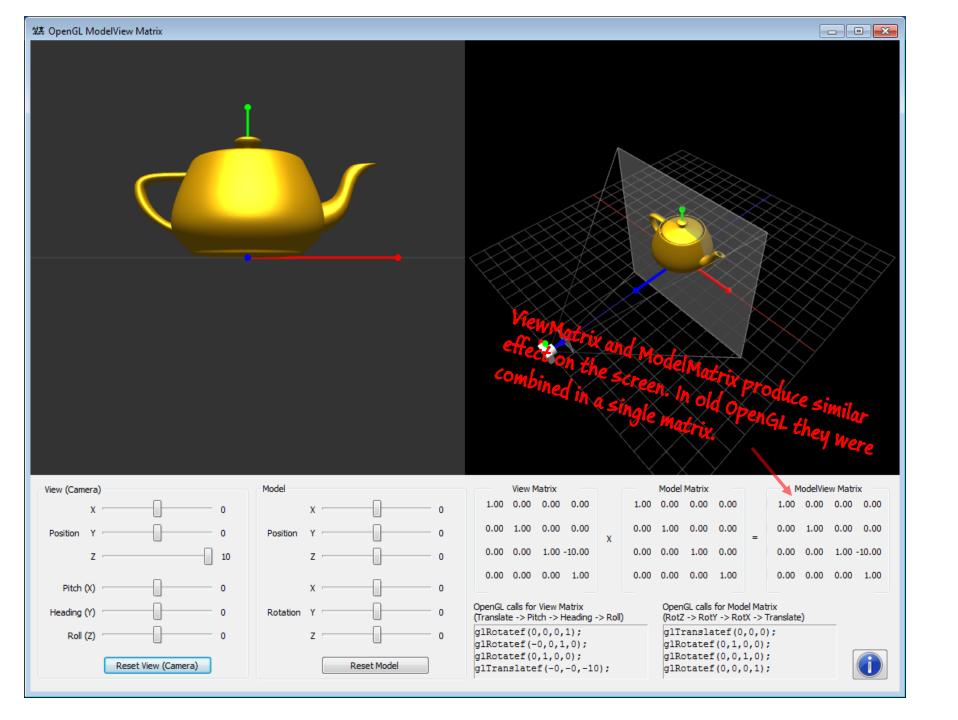
http://www.songho.ca/opengl/gl camera.html

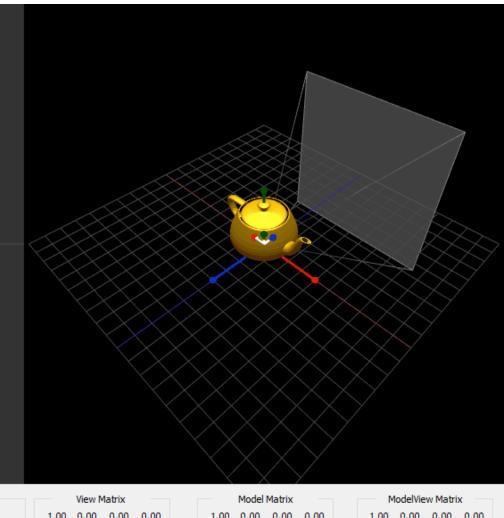
Some great interactive tools if you want to Play with them

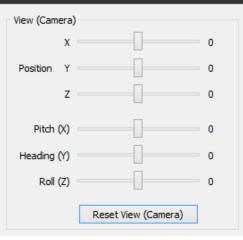


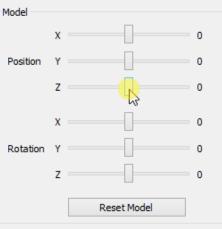


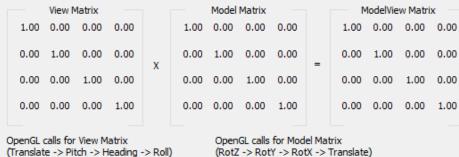












glRotatef(0,0,0,1);

glRotatef(-0,0,1,0); glRotatef(0,1,0,0);

glTranslatef(-0,-0,-0);

glTranslatef(0,0,0); glRotatef(0,1,0,0); glRotatef(0,0,1,0); glRotatef(0,0,0,1);

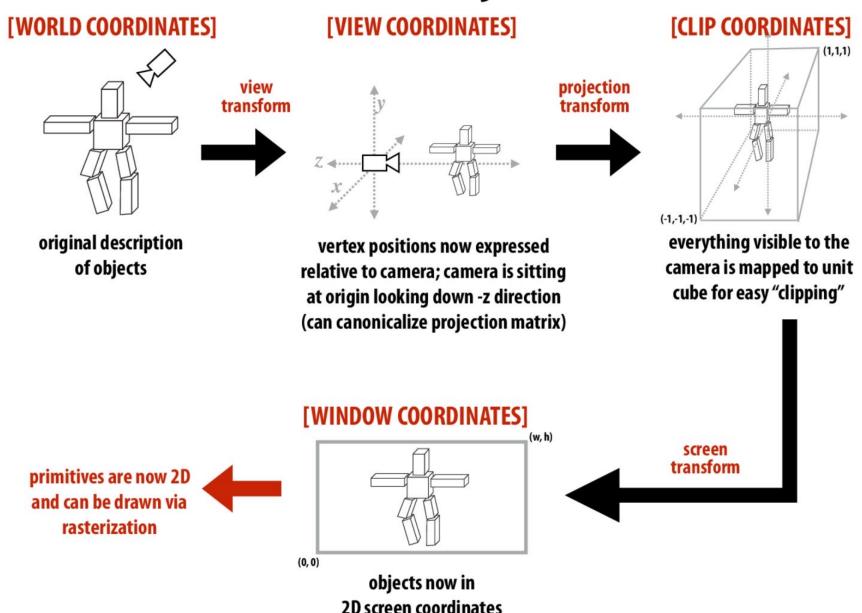


Participation Survey

Participation May 5				
Form description				
This form is automatically collecting email addresses for UC Santa	Cruz use	rs. Cha	nge settings	
I was in class May 5				
○ Yes				
○ No				
Roughly how long did you spend on <u>HW3</u> (Color+Texture)				
O-1 hours				
1-2 hours				
2-4 hours				
O 4+ hours				
::: There are videos from Lucas introducing Labs			Multiple choice	-
There are videos from Eddas Introducing Labs		0		
I didn't watch it, I just started the assignment				×
I watched it, but its NOT helpful				×
I watched it, and it IS helpful				×
Other				×
Add option				
		Î	Required	:
There are videos from James introducing				
I didn't watch them, I just started the assignment				

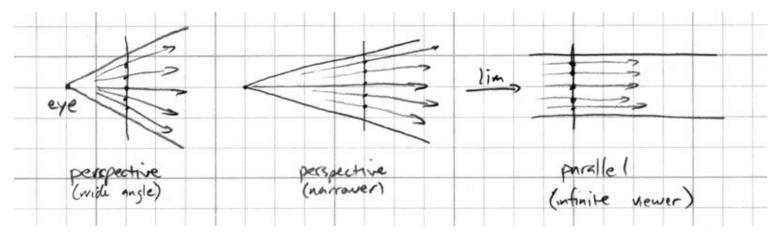
Projection Transform

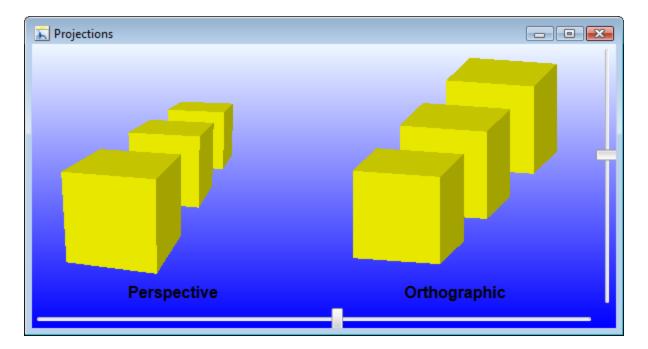
Transformations: from objects to the screen



Parallel projection

- Viewing rays are parallel rather than diverging
 - like a perspective camera that's far away



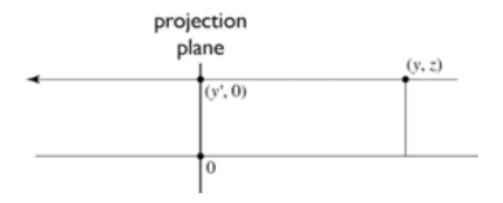




perspective projection

orthographic projection

Parallel projection: orthographic



to implement orthographic, just toss out z:

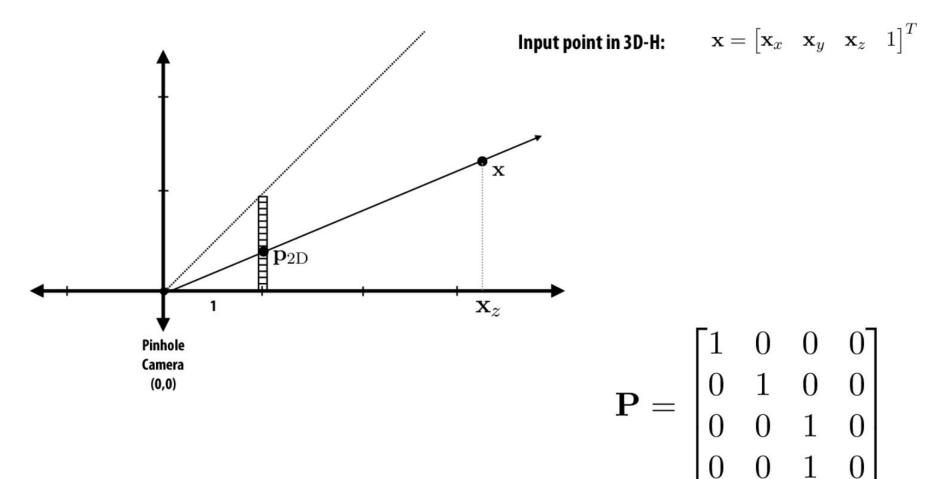
$$\begin{bmatrix} x' \\ y' \\ 1 \end{bmatrix} = \begin{bmatrix} x \\ y \\ 1 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

More on this later: Left, right, bottom, top, near, far

Orthographic projection

$$\begin{bmatrix} x_{c} \\ y_{c} \\ z_{c} \\ w_{c} \end{bmatrix} = \begin{bmatrix} \frac{2}{r-1} & 0 & 0 & -\frac{r+1}{r-1} \\ 0 & \frac{2}{r-b} & 0 & -\frac{r+b}{r-b} \\ 0 & 0 & -\frac{2}{r-b} & -\frac{r+b}{r-b} \\ 0 & 0 & 0 & 1 \end{bmatrix} \times \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

Basic perspective projection



Assumption:

Pinhole camera at (0,0) looking down z

Perspective vs. orthographic projection

Most basic version of perspective matrix:

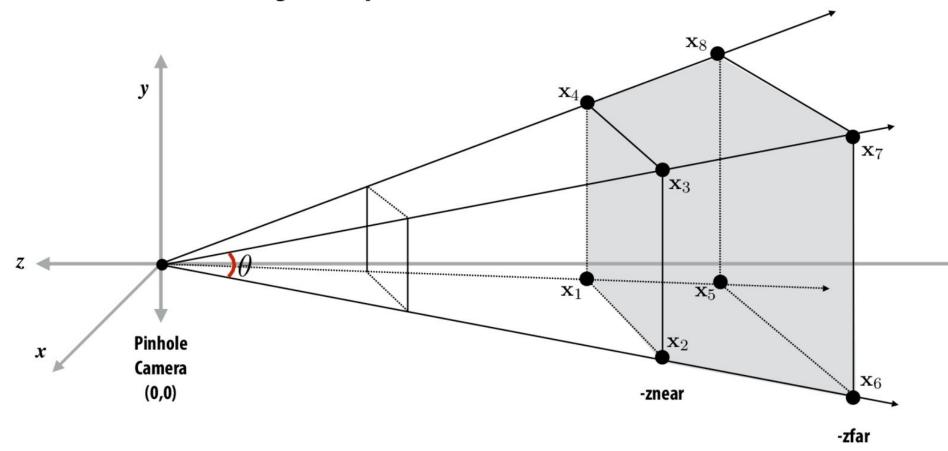
Most basic version of orthographic matrix:

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix} = \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix} \longmapsto \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$
 same size

objects stay the

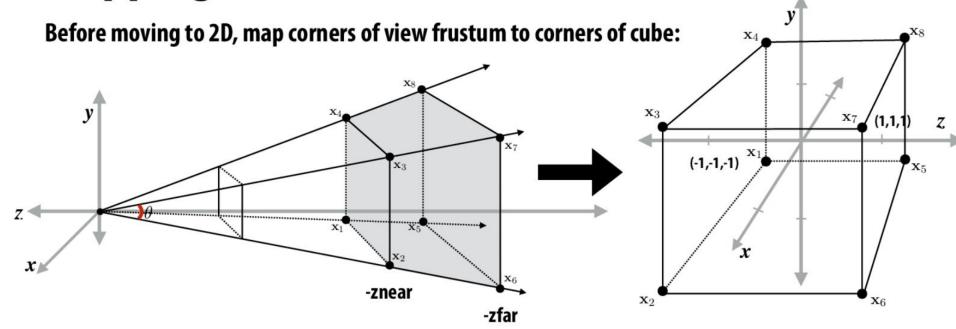
View frustum

View frustum is the region of space the camera can see:



- Top/bottom/left/right planes correspond to sides of screen
- Near/far planes correspond to closest/furthest thing we want to draw

Mapping frustum to normalized cube



View frustum corresponding to pinhole camera (perspective projection transform transforms this volume to normalized cube)

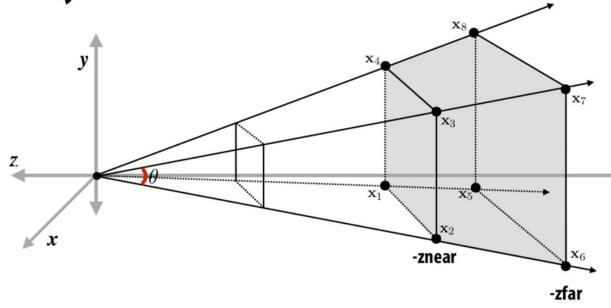
Why do we map frustum to unit cube?

- Makes clipping much easier! (see next slide)
 - Can quickly discard geometry outside range [-1,1]
- 2. Represent all vertices in normalized cube in fixed point math

^{*} Question: what does the frustum of an orthographic camera look like?

Matrix for perspective transform

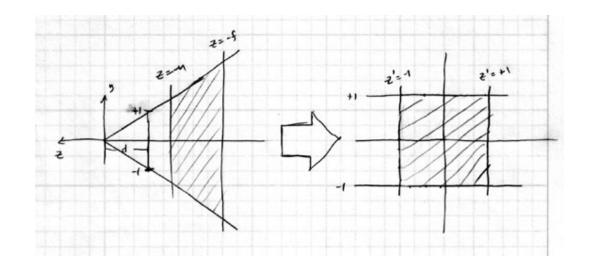
Takes into account geometry of view frustum:



$$\begin{pmatrix} \frac{n}{r} & 0 & 0 & 0 \\ 0 & \frac{n}{t} & 0 & 0 \\ 0 & 0 & \frac{-(f+n)}{f-n} & \frac{-2fn}{f-n} \\ 0 & 0 & -1 & 0 \end{pmatrix}$$

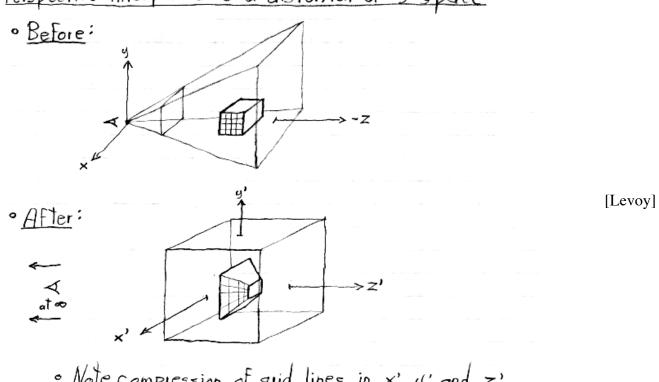
left (l), right (r), top (t), bottom (b), near (n), far (f)

(matrix at left is perspective projection for frustum that is symmetric about x,y axes: l=-r, t=-b)



[Marschner]

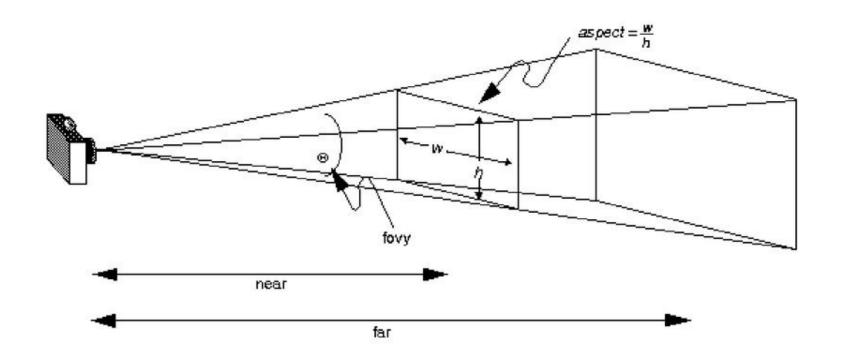
Perspective interpreted as a distortion of 3-space:



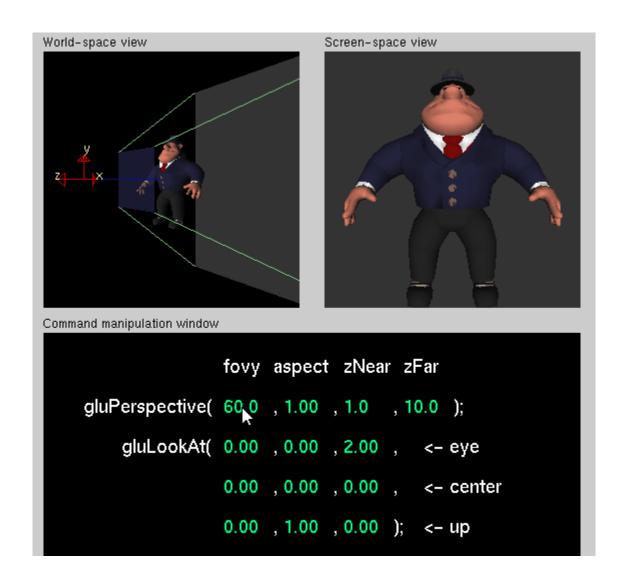
· Note compression of grid lines in x', y' and z'.

gluPerspective

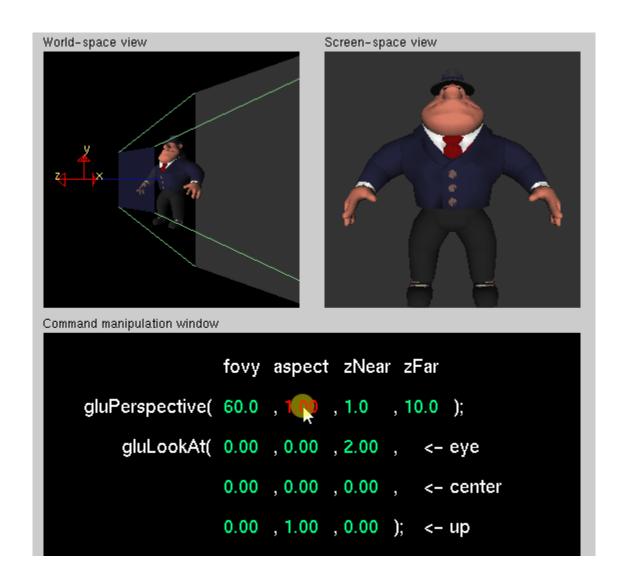
gluPerspective(double fovy, double aspect, double zNear, double zFar)



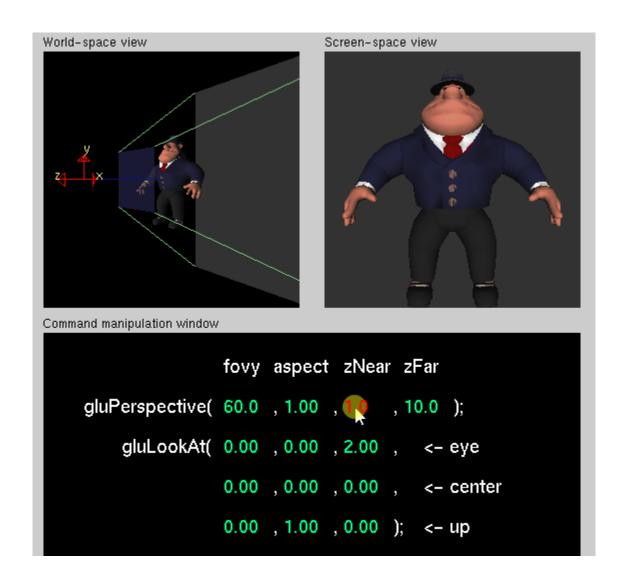
Perspective(fovy, aspect, zNear, zFar) – Changing FOVY



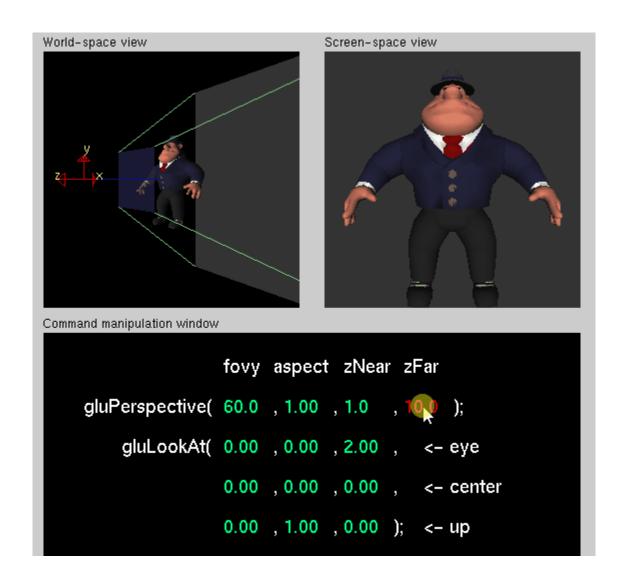
Perspective(fovy, aspect, zNear, zFar) – Changing ASPECT



Perspective(fovy, aspect, zNear, zFar) – Changing NEAR

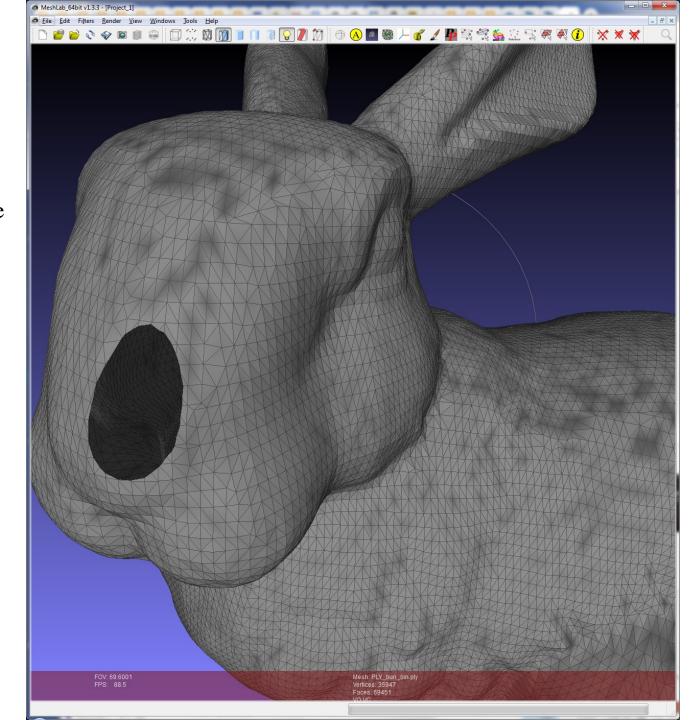


Perspective(fovy, aspect, zNear, zFar) – Changing FAR

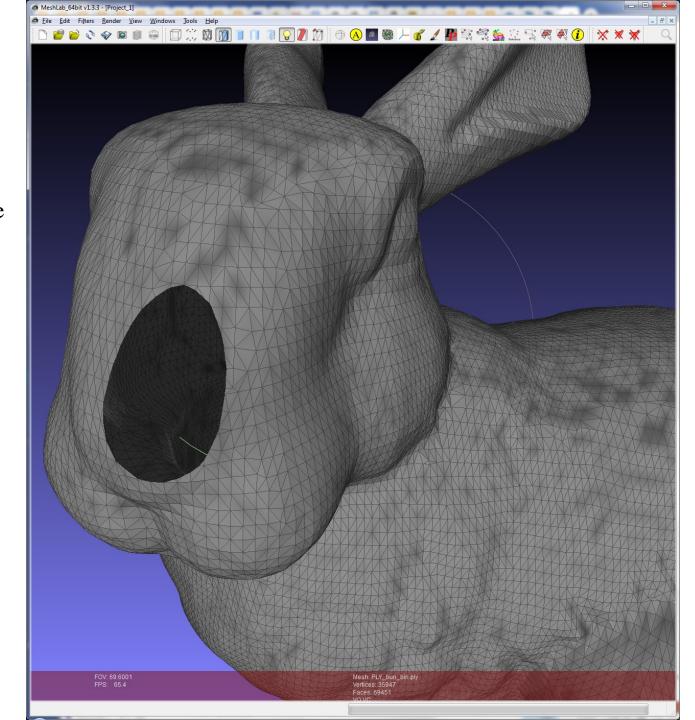


FOV

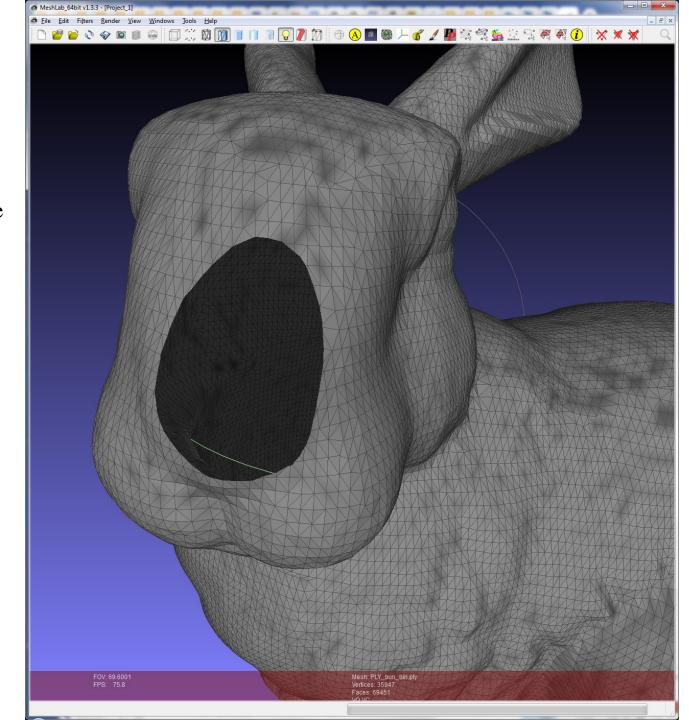




Near Plane Clipping Example



Near Plane Clipping Example



Near Plane Clipping Example





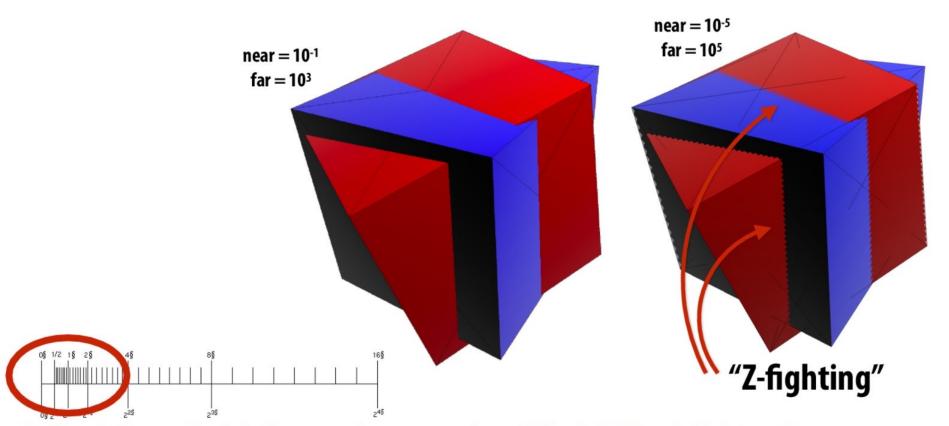




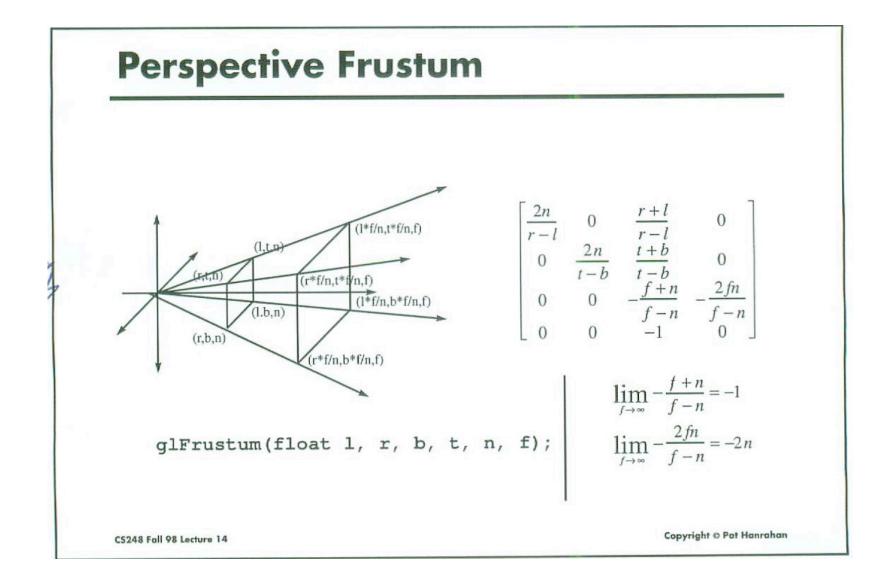


More detailed aside: why near/far plane clipping?

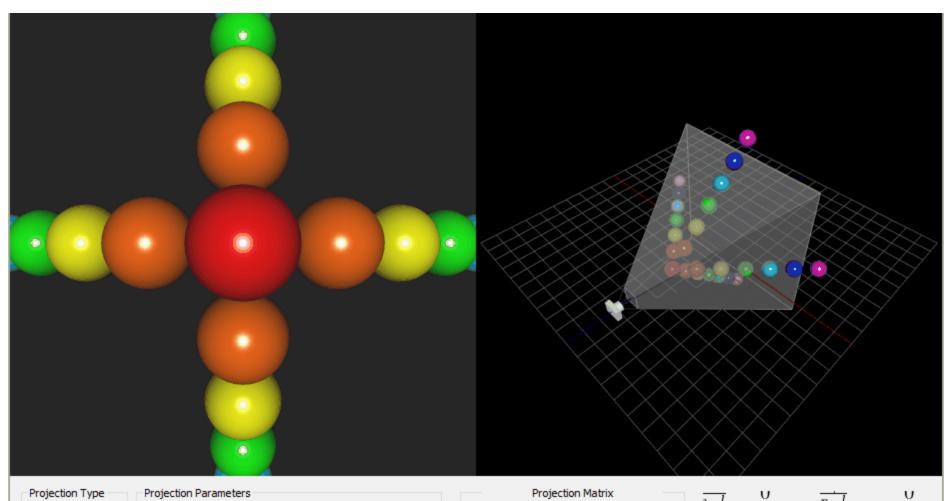
- Primitives (e.g., triangles) may have vertices both in front and behind camera!
 (Causes headaches for rasterization, e.g., checking if fragments are behind camera
- Avoid divide by zero in perspective divide (near plane clipping)
- Also important for dealing with finite precision of depth buffer

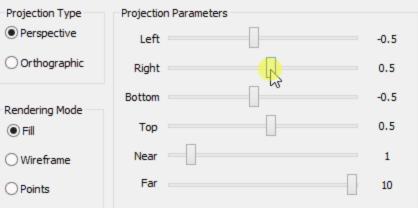


floating point has more "resolution" near zero—hence more precise resolution of primitive-primitive intersection



Do we ever want the frustum to be non symmetric for left/right?





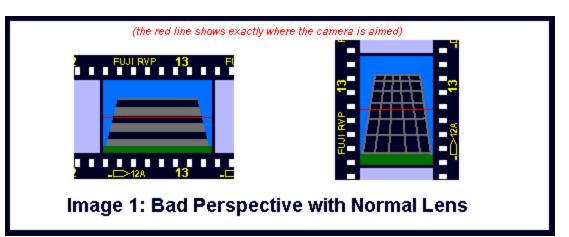
Projection Matrix							
2.00	0.00	0.00	0.00				
0.00	2.00	0.00	0.00				
0.00	0.00	-1.22	-2.22				
0.00	0.00	-1.00	0.00				

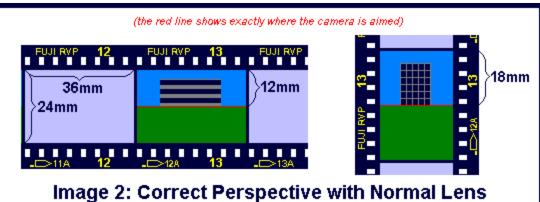
<u>~—l</u>	U	$\overline{r-l}$	U
0	$\frac{2n}{t-b}$	$\frac{t+b}{t-b}$	0
0	0	$\frac{-(f\!+\!n)}{f\!-\!n}$	$\frac{-2fn}{f-n}$
Ω	0	_1	0

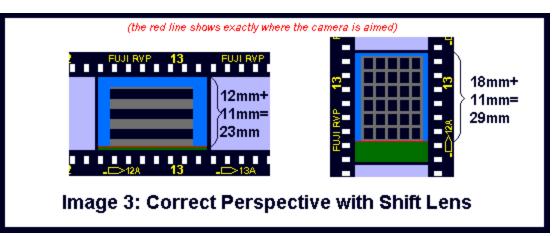
Reset Parameters

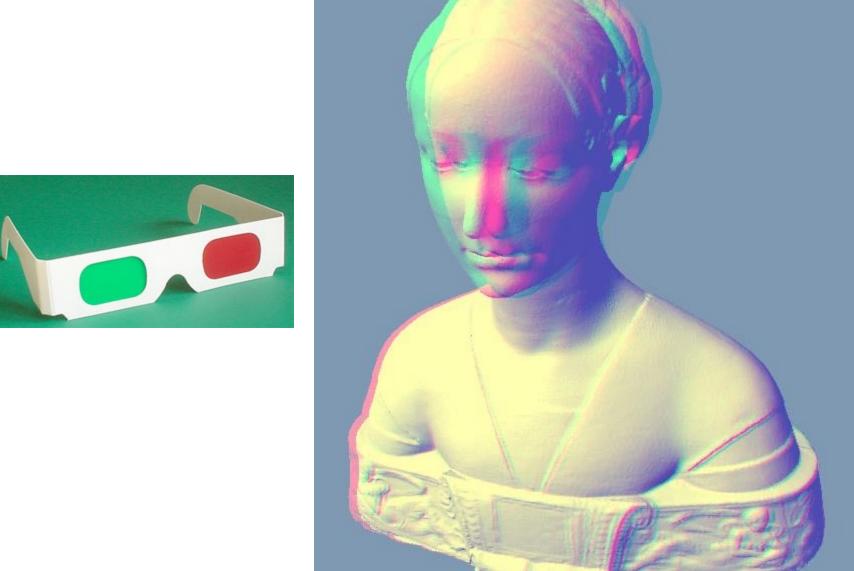






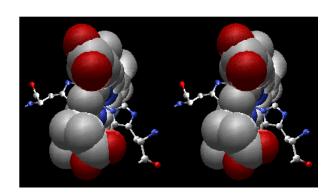


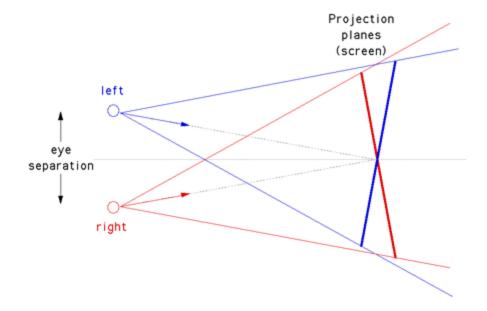


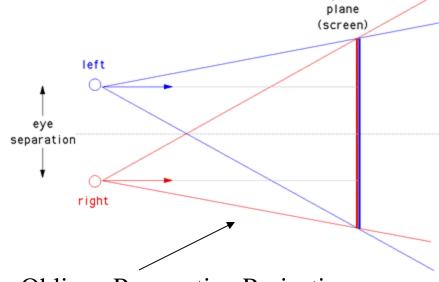










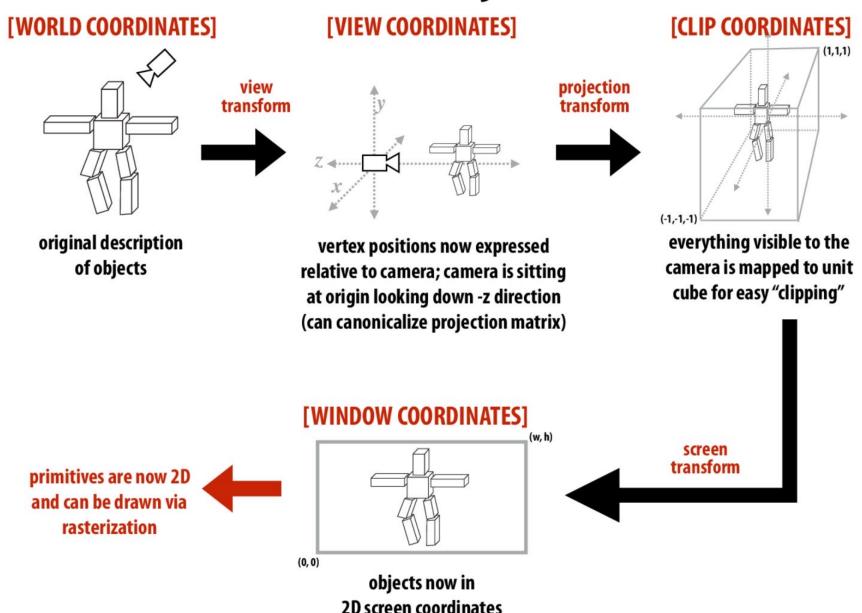


Projection

Oblique Perspective Projection

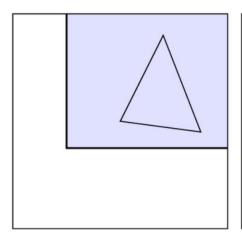
Clipping and Screen Transform

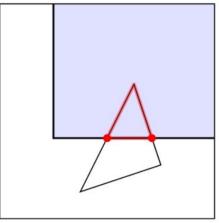
Transformations: from objects to the screen

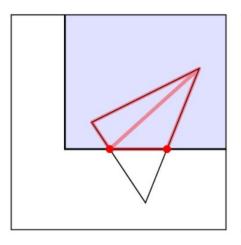


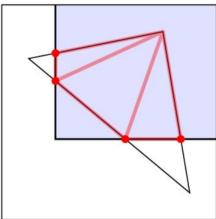
Clipping

- "Clipping" is the process of eliminating triangles that aren't visible from the camera (because they outside the view frustum)
 - Don't waste time computing appearance of primitives the camera can't see!
 - Sample-in-triangle tests are expensive ("fine granularity" visibility)
 - Makes more sense to toss out entire primitives ("coarse granularity")
 - Must deal with primitives that are partially clipped...



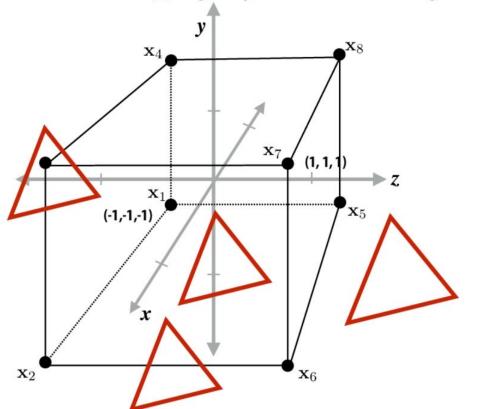


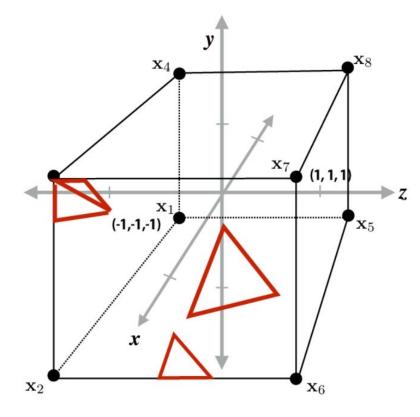




Clipping in normalized device coordinates (NDC)

- Discard triangles that lie complete outside the normalized cube (culling)
 - They are off screen, don't bother processing them further
- Clip triangles that extend beyond the cube... to the sides of the cube
 - Note: clipping may create more triangles





Triangles before clipping

Triangles after clipping

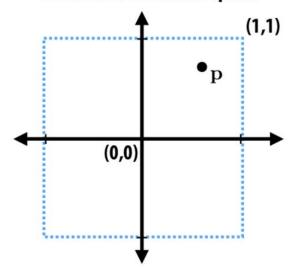
^{*} These figures are correct: OpenGL normalized device coordinates is left-handed coordinate space

Review: screen transform

After divide, coordinates in [-1,1] have to be "stretched" to fit the screen Example:

All points within (-1,1) to (1,1) region are on screen (1,1) in normalized space maps to (W,0) in screen

Normalized coordinate space:

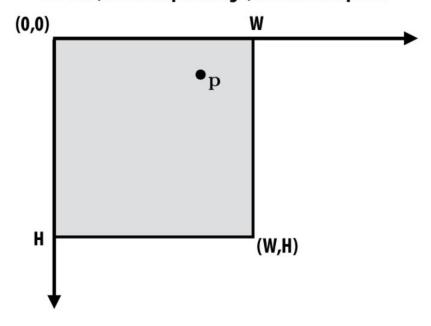


Step 1: reflect about x-axis

Step 2: translate by (1,1)

Step 3: scale by (W/2,H/2)

Screen (W x H output image) coordinate space:



WebGL

Listing 7.8 PerspectiveView.js

```
1 // PerspectiveView.js
                                                     u ModelMatrix
 2 // Vertex shader program
 3 var VSHADER SOURCE =
     'attribute vec4 a Position;\n' +
 5
     'attribute vec4 a Color; \n' +
     'uniform mat4 u ViewMatrix; \n' +
 7
     'uniform mat4 u ProjMatrix; \n' +
     'varying vec4 v Color; \n' +
     'void main() {\n' +
    ' gl Position = u ProjMatrix * u ViewMatrix * a Position; \n' +
10
     ' v Color = a Color; \n' +
11
12
     '}\n';
24 function main() {
     // Set the vertex coordinates and color (blue triangle is in front)
41
    var n = initVertexBuffers(gl);
51
    // Get the storage locations of u ViewMatrix and u ProjMatrix
    varu ViewMatrix = gl.getUniformLocation(gl.program, 'u ViewMatrix');
     var u ProjMatrix = gl.getUniformLocation(gl.program, u ProjMatrix');
    var viewMatrix = new Matrix4(); // The view matrix
59
60
     var projMatrix = new Matrix4(); // The projection matrix
61
     // Calculate the view and projection matrix
62
     viewMatrix.setLookAt(0, 0, 5, 0, 0, -100, 0, 1, 0);
63
     projMatrix.setPerspective(30, canvas.width/canvas.height, 1, 100);
64
65
     // Pass The view matrix and projection matrix to u ViewMatrix and u ProjMatrix
66
     gl.uniformMatrix4fv(u_ViewMatrix, false, viewMatrix.elements);
     gl.uniformMatrix4fv(u ProjMatrix, false, projMatrix.elements);
72
     // Draw the rectangles
73
     gl.drawArrays(gl.TRIANGLES, 0, n);
74
75
```

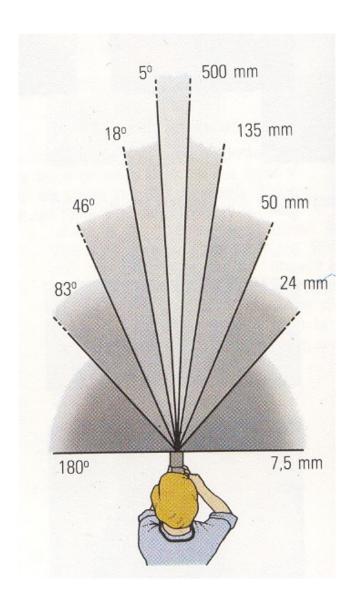
Part of Matrix class

setLookAt(eye, at, up)
setPerspective(fov, aspect, near, far)

Graphics vs Real Cameras



Lenses



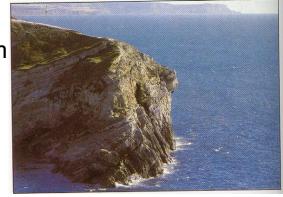
24mm



50mm



135mm



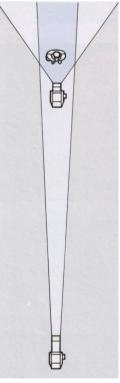
Frédo Durand — MIT Computer Science and Artificial Intelligence Laboratory - fredo@mit.edu



Perspective vs. viewpoint

- Focal lens does NOT ONLY change subject size
- Same size by moving the viewpoint
- Different perspective (e.g. background)









Perspective vs. viewpoint

- Portrait: distortion with wide angle
- · Why?







Wide angle

Standard

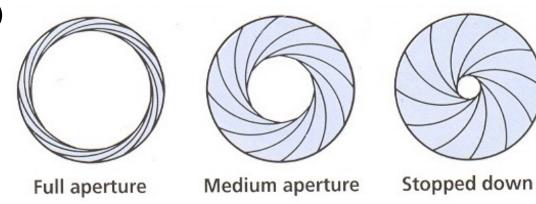
Telephoto



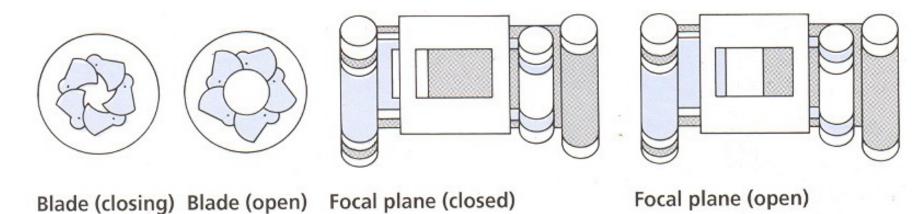
Exposure

Two main parameters:

Aperture (in f stop)

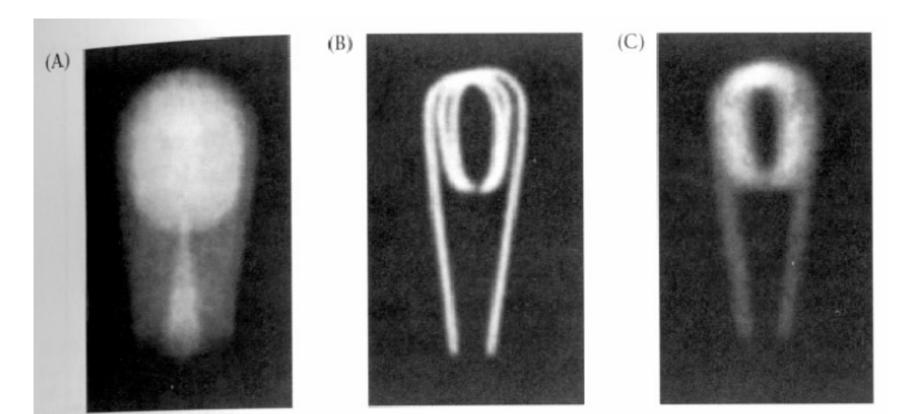


Shutter speed (in fraction of a second)





Pinhole limit



2.18 DIFFRACTION LIMITS THE QUALITY OF PINHOLE OPTICS. These three images of a bulb filament were made using pinholes with decreasing size. (A) When the pinhole is relatively large, the image rays are not properly converged, and the image is blurred. (B) Reducing the size of the pinhole improves the focus. (C) Reducing the size of the pinhole further worsens the focus, due to diffraction. From Ruechardt, 1958.

Administrative

Q&A

End